

Human Computer Interaction

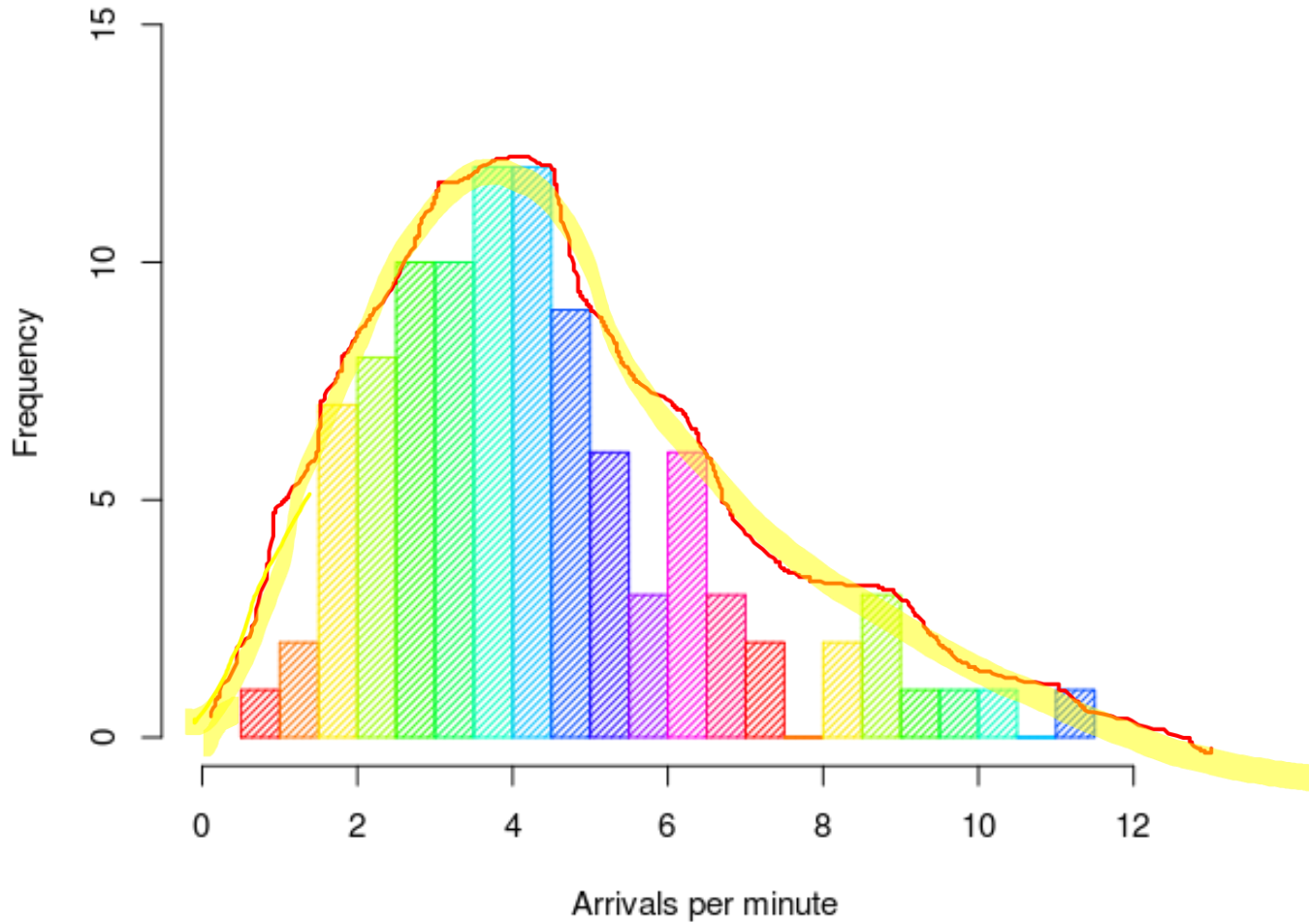
Conducting User Trial

Dr Pradipta Biswas, PhD (Cantab)
Associate Professor
Indian Institute of Science
<https://cambum.net/>

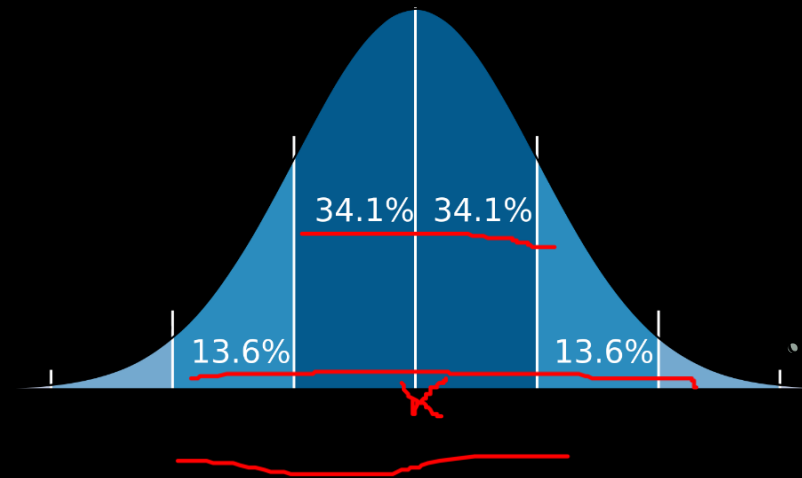
Prerequisites

Histogram

Histogram of arrivals



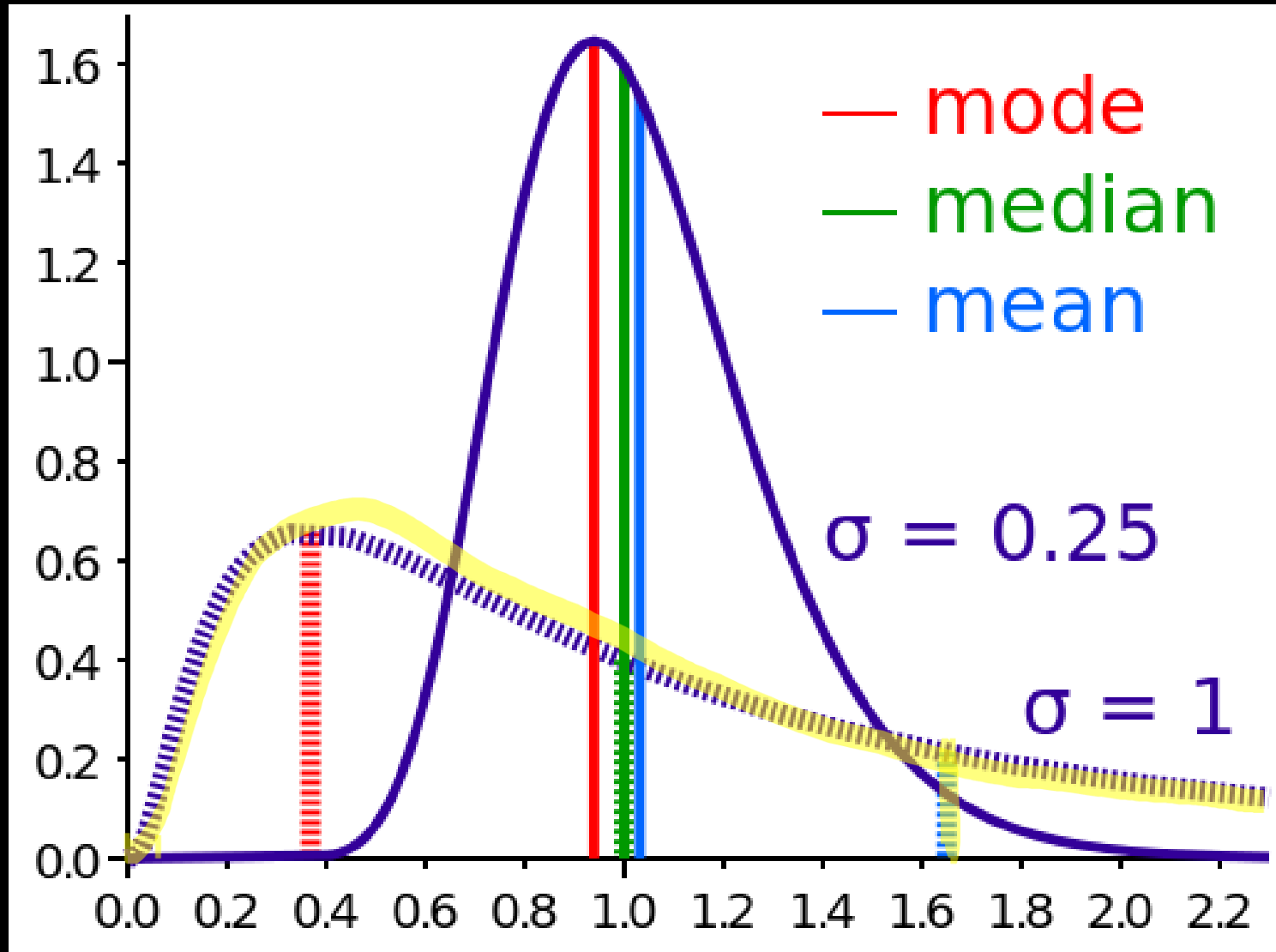
Central Limit Theorem



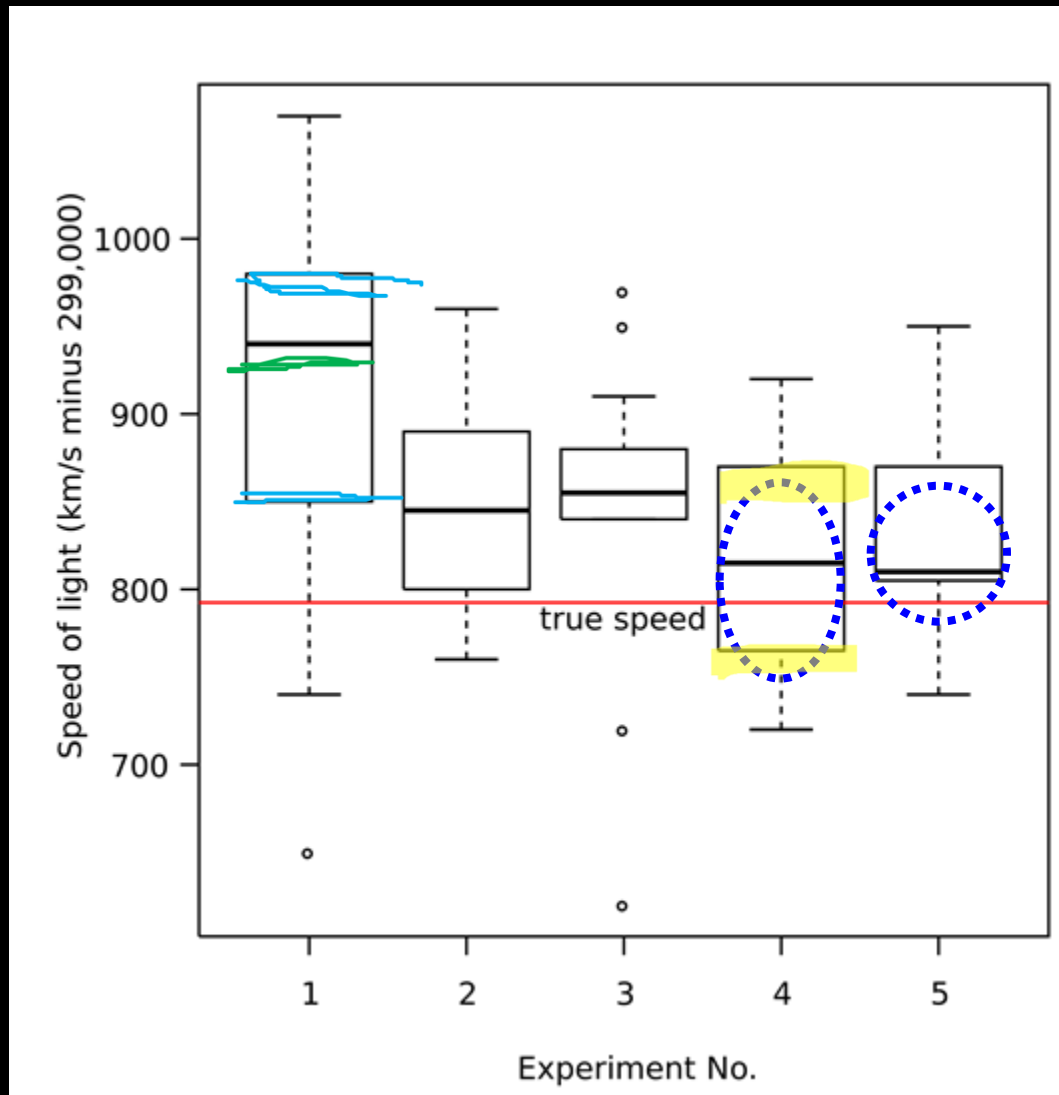
- A sample is obtained containing many observations, each observation being randomly generated in a way that does not depend on the values of the other observations, and that the arithmetic mean of the observed values is computed.
- If this procedure is performed many times, the central limit theorem says that the probability distribution of the average will closely approximate a normal distribution.

If X_1, X_2, \dots, X_n are n random samples drawn from a population with overall mean μ and finite variance σ^2 , and if \bar{X}_n is the sample mean, then the limiting form of the distribution, $Z = \lim_{n \rightarrow \infty} \sqrt{n} \left(\frac{\bar{X}_n - \mu}{\sigma} \right)$, is a standard normal distribution.

Central Tendency



Box plot



User Trial

Remember: This presentation should not be taken as a replacement of a standard statistics course.



- Null hypothesis: No difference
- Alternative hypothesis: There is difference

Variables

- Variables are things that change
- The **independent variable** is the variable that is purposely changed. It is the manipulated variable.
- The **dependent variable** changes in response to the independent variable. It is the responding variable.

Variables

Constant Variables

- Factors that are kept the same and not allowed to change.
- It is important to control all but one variable at a time to be able to interpret data

Hypothesis

- Your best thinking about how the change you make might affect another factor.
- Tentative or trial solution to the question.
- An if then statement.
- Should be expressed in **measurable** terms

How to test

- Sampling: Select a set of participants
 - Method: Design a study to collect data
 - Material: Get instruments
 - Procedure: Collect data from participants
-
- Result: Analyze result

Result

$$\text{Test Statistics} = \frac{\text{Variance explained by model}}{\text{Variance not explained by model}} = \frac{\text{Effect}}{\text{Error}}$$

Significant → The probability that the model is explaining variance by chance < 0.05

Case Study

Independent variables

- Spacing × FontSize × Group
- Spacing
 - Sparse
 - Medium
 - Dense
- FontSize
 - 10 pt
 - 14 pt
 - 20pt
- Group
 - Able-bodied
 - Visually-impaired
 - Motor-impaired

Dependent variables

- Pointing time
 - Time needed to click on an icon
- Number of wrong selection

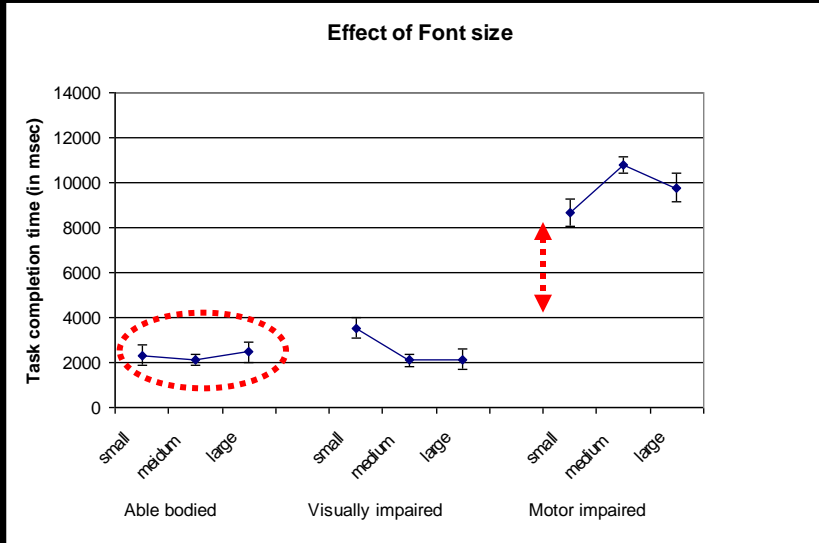
Hypothesis

Increasing *font size* and *button spacing* will reduce *pointing time* and *number of errors*

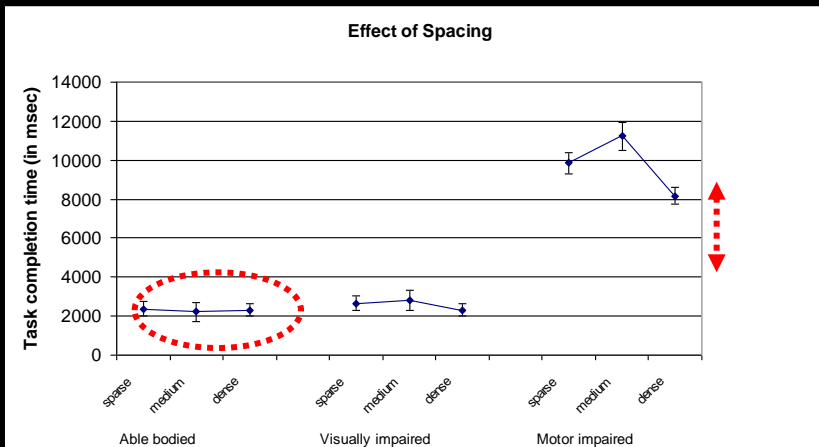
Experiment

- Show an icon to user
- Instruct him to remember it
- Show a list of icons
- Ask him to find and click on the icon
- Measure the time interval between presentation of the set of icons and click instance

Result

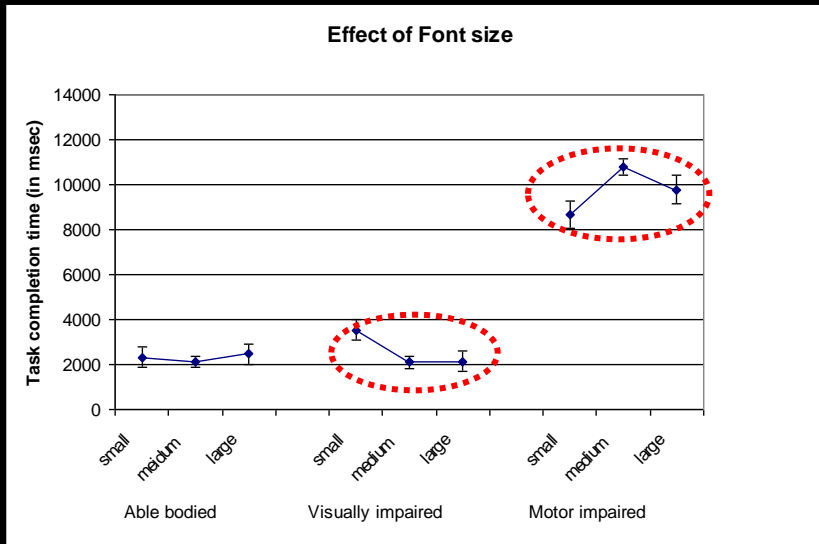


- Motor impaired users took more time to point

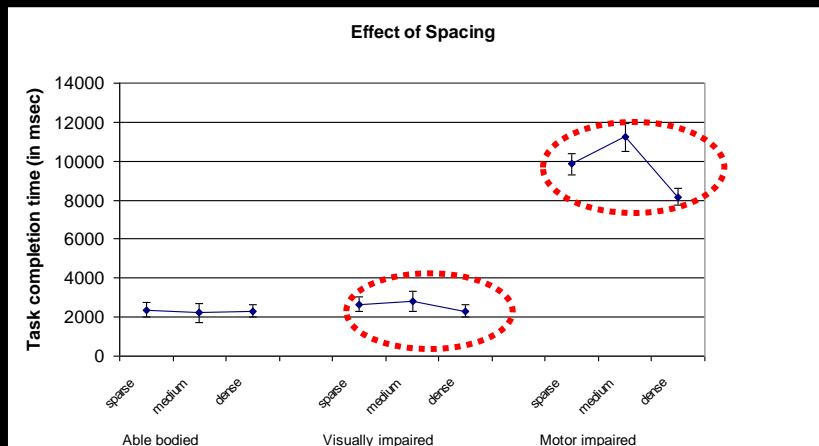


- Able bodied users did not show any effect for change in font size and spacing

Result



- Visually impaired users took less time to point for bigger (medium or large) font size and dense spacing



- Motor impaired users took less time in dense spacing and small font size

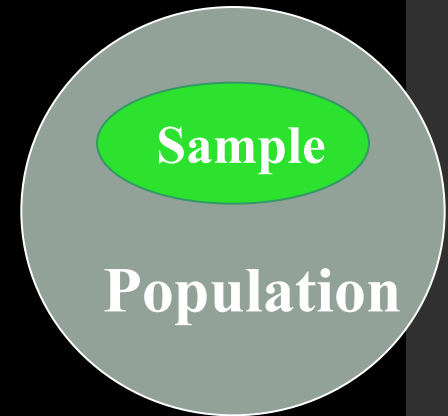
Theoretical detail

How to proceed

- Generate research question
 - Unstructured or semi-structured interview
 - Observational methods
 - Coding and theoritizing (discussed later)
- Postulate hypothesis
 - Define variables
 - Design experiment
- Measure
 - Conduct experiment
 - Analyse result

Sampling

- Size
 - No straight forward answer !!
 - Can be estimated statistically
 - Bigger the better
 - more representative of population
 - Often limited by availability
- Quality
 - Random sampling
 - Group based sampling
 - Purpose based sampling



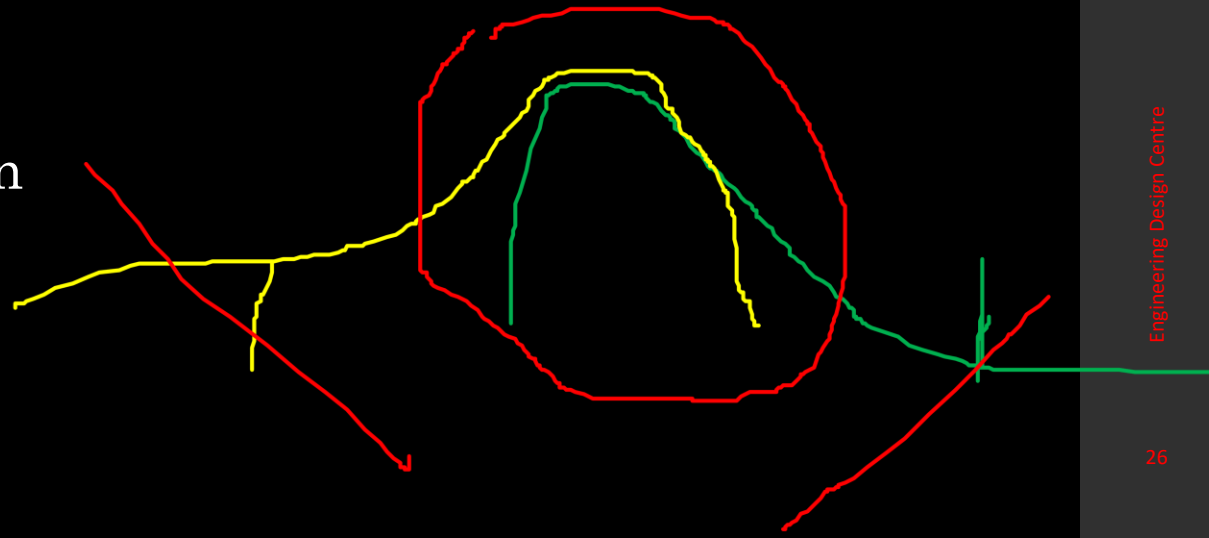
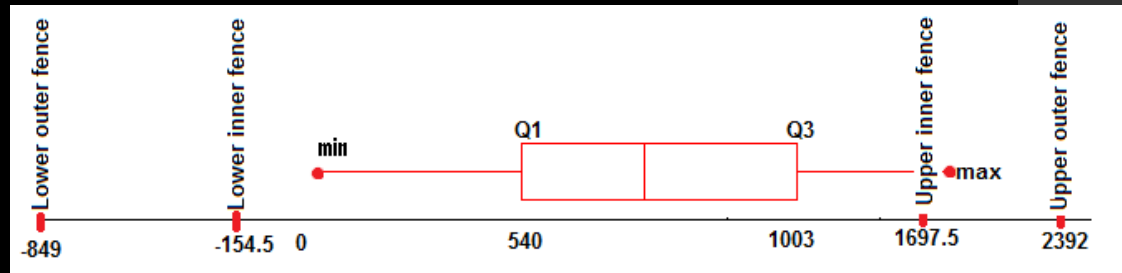
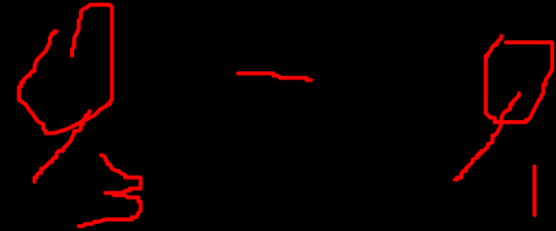
Experiment

- Matched pair
- Repeated measure
- Latin square



Data Screening

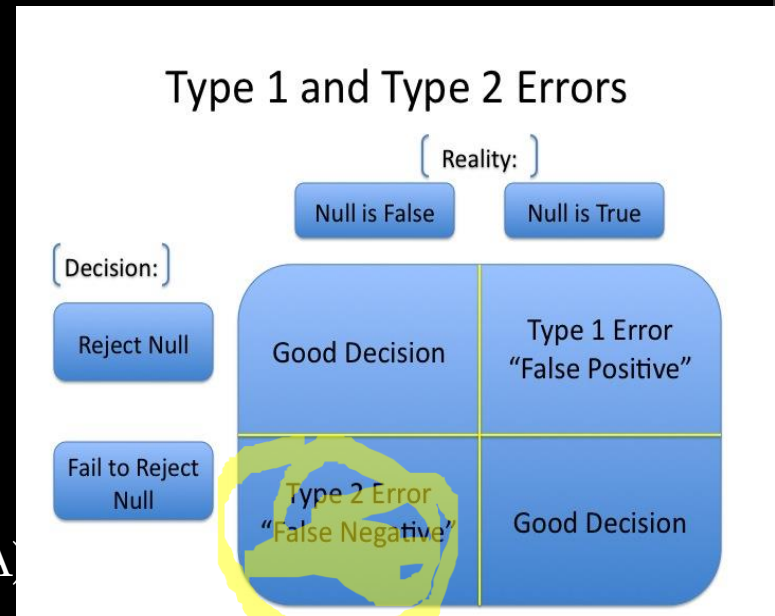
- Outliers
 - Inner Fence
 - Outer Fence
- Skewing
 - In opposite direction
- Unequal Variance
- Missing Values
- Data Transformation



Data Analysis

Important terms

- Degrees of freedom (df)
- One tail and two tail tests
 - Better/Worse or just different
- Type I (α) and Type II (β) error
- Sphericity assumption (for ANOVA)



Just google the terms in case you forget later

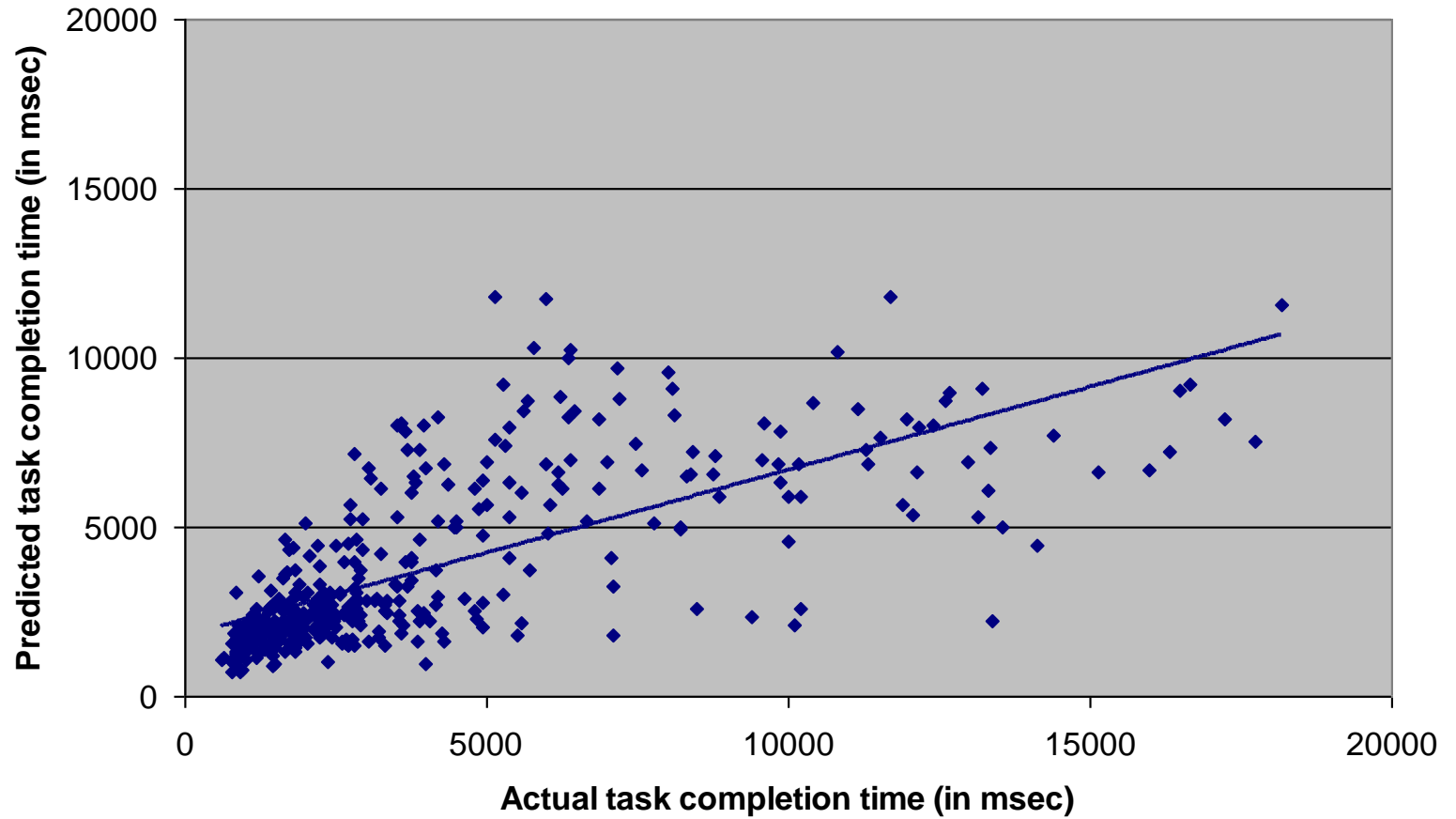
Test Selection

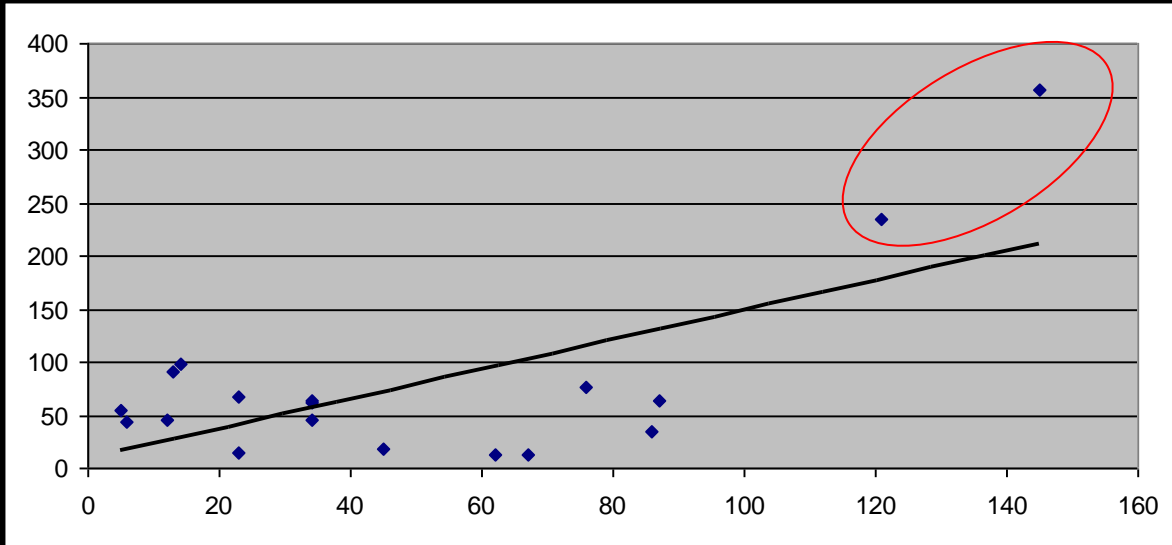
- Data normally distributed - Kolmogorov-Smirnov (K-S) test, Shapiro-Wilk test
 - Parametric / Non-parametric / Cont...
- Relationship between two columns of data
 - Correlation (Pearson's r / Spearman's ρ)
- Comparing means between two columns of data
 - T-test / Mann-Whitney U-Test / Wilcoxon signed rank test
- More than two columns
 - ANOVA / Kruskal-Wallis H test / Scheirer Ray Hare Test
- Categorical Data – Chi Square

Independent

Dependent

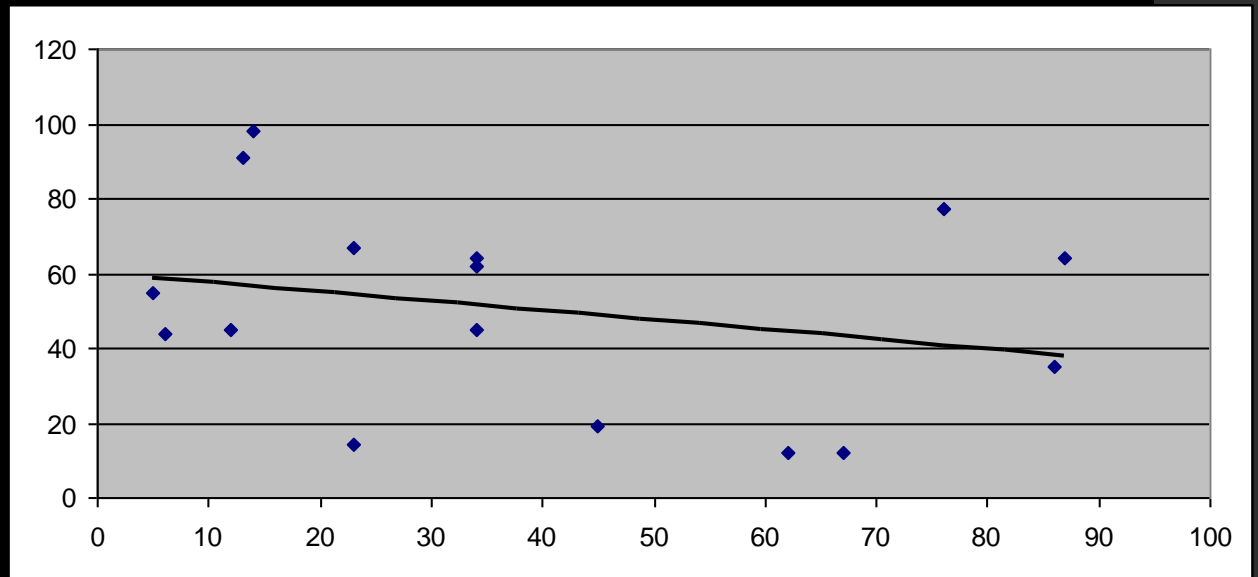
Scatter Plot



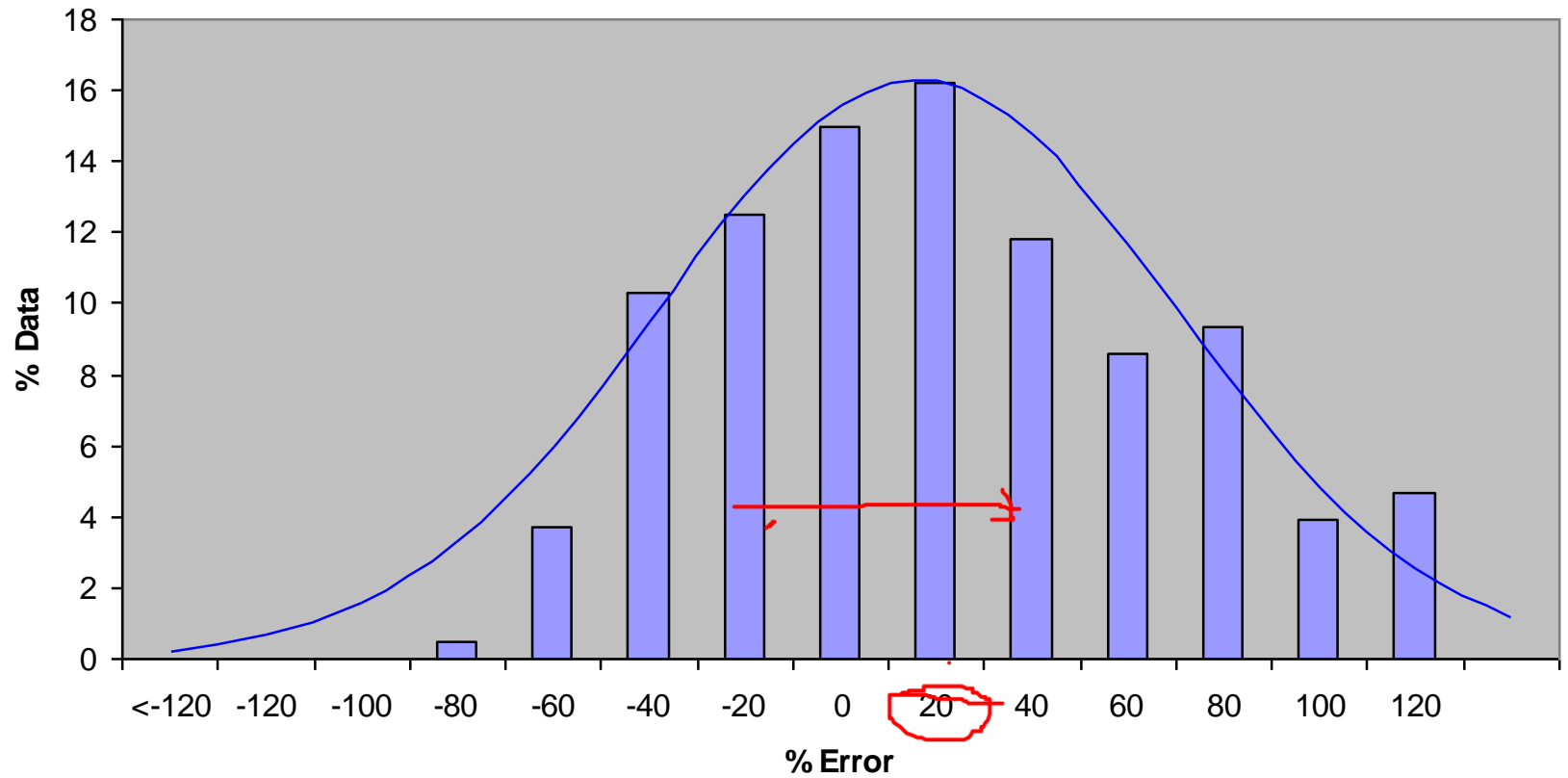


$r = 0.66$



$r = -0.27$



Relative Error in Prediction



Test Selection

- Data normally distributed - Kolmogorov-Smirnov (K-S) test, Shapiro-Wilk test
 - Parametric / Non-parametric
- Relationship between two columns of data
 - Correlation (Pearson's r / Spearman's ρ)
- Comparing means between two columns of data
 - T-test / Mann-Whitney U-Test / Wilcoxon signed rank test
- More than two columns  
 - ANOVA / Kruskal-Wallis H test / Scheirer Ray Hare Test
- Categorical Data – Chi Square

Comparing means – t-test



	CTRL	EXP
P1	6	10
P2	1	6
P3	2	8
P4	9	10
P5	6	8
P6	10	10
P7	6	8
P8	10	10
P9	10	10
P10	10	10
P11	10	10
P12	9	8
AVG	7.42	9.00
Stdev	3.23	1.35
Ttest	=TTEST(H20,2,1)	

Function Arguments

TTEST

Array1 G9:G20 = {6;1;2;9;6;10;6;10;

Array2 H9:H20 = {10;6;8;10;8;10;8;1

Tails 2 = 2

Type 1 = 1

= 0.034538833

Returns the probability associated with a Student's t-Test.

Type is the kind of t-test: paired = 1, two-sample equal variance (homoscedastic) = 2, two-sample unequal variance = 3.

Formula result = 0.034538833

[Help on this function](#) OK Cancel

The basic ANOVA situation

Two variables: 1 Categorical, 1 Quantitative

Main Question: Do the (means of) the quantitative variables depend on which group (given by categorical variable) the individual is in?

If categorical variable has only 2 values:

- 2-sample t-test

ANOVA allows for 3 or more groups

An example ANOVA situation

Subjects: 25 patients with blisters

Treatments: Treatment A, Treatment B, Placebo

Measurement: # of days until blisters heal

Data [and means]:

- A: 5,6,6,7,7,8,9,10 [7.25]
- B: 7,7,8,9,9,10,10,11 [8.875]
- P: 7,9,9,10,10,10,11,12,13 [10.11]

Are these differences significant?

Informal Investigation

Graphical investigation:

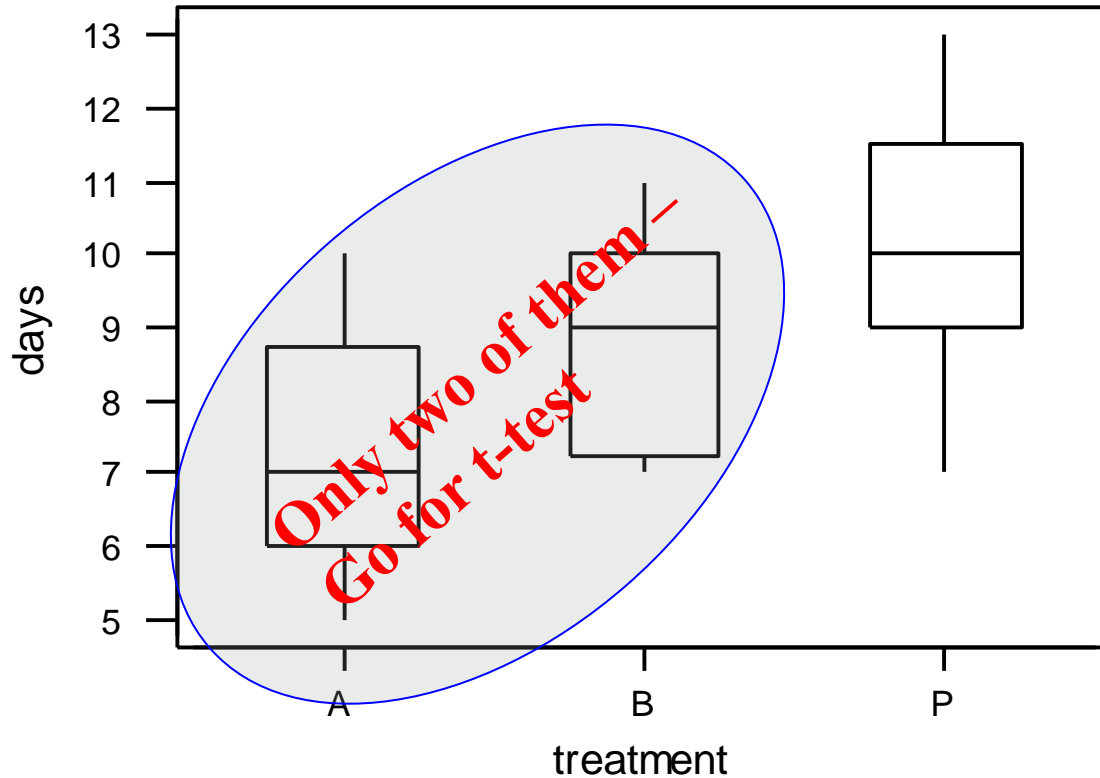
- side-by-side box plots
- multiple histograms

Whether the differences between the groups are significant depends on

- the difference in the means
- the standard deviations of each group
- the sample sizes

ANOVA determines P-value from the F statistic

Side by Side Boxplots



What does ANOVA do?

At its simplest (there are extensions) ANOVA tests the following hypotheses:

H_0 : The means of all the groups are equal.

H_a : Not all the means are equal

- doesn't say how or which ones differ.
- Can follow up with “multiple comparisons”

Note: we usually refer to the sub-populations as “groups” when doing ANOVA.

Assumptions of ANOVA

- each group is approximately normal
 - ☐ check this by looking at histograms and/or normal quantile plots, or use assumptions
 - ☐ can handle some nonnormality, but not severe outliers
- standard deviations of each group are approximately equal
 - ☐ rule of thumb: ratio of largest to smallest sample st. dev. must be less than 2:1

Normality Check

We should check for normality using:

- assumptions about population
- histograms for each group
- normal quantile plot for each group

With such small data sets, there really isn't a really good way to check normality from data, but we make the common assumption that physical measurements of people tend to be normally distributed.

Standard Deviation Check

Variable	treatment	N	Mean	Median	StDev
days	A	8	7.250	7.000	1.669
	B	8	8.875	9.000	1.458
	P	9	10.111	10.000	1.764

Compare largest and smallest standard deviations:

- largest: 1.764
- smallest: 1.458
- $1.458 \times 2 = 2.916 > 1.764$

Note: variance ratio of 4:1 is equivalent.

How ANOVA works (outline)

ANOVA measures two sources of variation in the data and compares their relative sizes

- variation BETWEEN groups
 - for each data value look at the difference between its group mean and the overall mean

$$\left(\bar{x}_i - \bar{x}\right)^2$$

- variation WITHIN groups
 - for each data value we look at the difference between that value and the mean of its group

$$\left(x_{ij} - \bar{x}_i\right)^2$$

F- statistics

The ANOVA F-statistic is a ratio of the Between Group Variation divided by the Within Group Variation:

$$F = \frac{\textit{Between}}{\textit{Within}} = \frac{\textit{MSG}}{\textit{MSE}}$$

A large F is evidence *against* H_0 , since it indicates that there is more difference between groups than within groups.

ANOVA Output

$F(2,22) = 6.45, p < 0.05$

Analysis of Variance for days

Source	DF	SS	MS	F	P
treatment	2	34.74	17.37	6.45	0.006
Error	22	59.26	2.69		
Total	24	94.00			

$$MS = SS / df$$

$$F = MSG / MSE$$

ANOVA result – Previous example

Source	Sum of Squares	df	Mean Square	F	Sig.
LAYOUT	72183079.23	1.745	41367738	5.435	0.009
LAYOUT * IMP	83606114.83	3.49	23957109	3.148	0.025
Error(LAYOUT)	491364031.8	64.562	7610760		
FONT	2534752.503	1.702	1489441	0.217	0.77
FONT * IMP	117226676.6	3.404	34441665	5.017	0.002
Error(FONT)	432286058.5	62.967	6865263		
LAYOUT * FONT	47748673.96	2.331	20482440	1.03	0.37
LAYOUT * FONT * IMP	76535737.42	4.662	16415520	0.825	0.528
Error(LAYOUT*FONT)	1715764114	86.254	19891898		

Effect size and Power

- Effect size
 - Percent of variance explained
 - Standardized measure of magnitude of effect
 - Cohen's d , correlation coefficient, η^2
- Power
 - Power of a test to detect significant effect
 - (1 – Type II error)
 - Type II error (β) → probability of not detecting an effect
 - Can be used to estimate sample size

Other tests

Other important tests won't be discussed in detail but relevant to HCI trials

- Non Gaussian distribution → Non parametric tests
- Comparing ranks → Sign test
- ANCOVA
- MANOVA and so on

Qualitative data

- Supplement and illustrate quantitative data
- No clear or single convention of data analysis
- Can be collected from different sources
 - Observational methods
 - Interview
 - Transcript
 - Written documents, reports

Steps to analyse

- Coding
- Adding memo
- Content analysis to find
 - Similar phrases
 - Patterns
 - Themes
 - Relationship
- Elaborating initial set of generalizations
- Linking generalizations to theory

Content analysis

- Key word in context
- Word frequency list
- Category counts
- Collocations

Non-numerical Unstructured Data
Indexing, Searching and Theorizing
(NUD*IST software)

Reporting

- Title
- Abstract
- Introduction
- Method
 - Participants
 - Materials
 - Design
 - Procedure
- Results
- Discussion
- References
- Appendix (Optional)

Take away points

- Introduction to the process of conducting a user trial
- Basic quantitative and qualitative data analysis techniques
- Basic statistical methods and terms associated with conducting controlled experiment
- Reporting a study following standard format